

Momentum (Part II) (Impulse)

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Change in Momentum

- ▶ The change in momentum is called *impulse*.
- ▶ The impulse is equal to the force x time interval

$$\text{impulse} = Ft$$
- ▶ Time interval is total time that the force acted to change the momentum

Acceleration Review

acceleration

$$a = \frac{F}{m} \quad \& \quad a = \frac{\Delta V}{t} \quad \text{change in } V$$

Acceleration Review

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Acceleration Review

$$\frac{F}{m} = \frac{\Delta V}{t}$$

Change in Momentum

- ▶ Remember momentum

$$p = mv$$
- ▶ So CHANGE in momentum is $\Delta(mv)$
- ▶ A change in momentum is caused by a Force applied over an amount of time (IMPULSE)

$$Ft = \Delta(mv)$$

Change in Momentum

- ▶ For momentum to change ($\Delta p = \Delta(mv)$) either mass or velocity has to change.
- ▶ The mass of an object usually does not change.
- ▶ The velocity is what typically changes
 - Acceleration—speeding up, slowing down, or turning.
 - Remember that acceleration is caused by applying a force.
- ▶ The greater the force acting on an object, the greater the change in velocity, which means the greater the change in momentum.
 - Remember that Force causes acceleration... Acceleration means changing velocity...

Change in Momentum

- ▶ Impulse is the change in momentum
- ▶ The change in momentum is the product of the force applied and the time the force is applied.

$$Ft = \Delta(mv)$$

Using force to Increase Momentum

$$\Delta(mv) = Ft$$

- ▶ To **increase momentum**:
- ▶ Apply the greatest F for the longest t possible.
- ▶ Follow through on sports swings.



Increasing Momentum

- ▶ The tennis ball is in contact with the racket for only a short time with a large force applied.



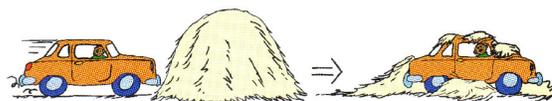
Decreasing Momentum

- ▶ If you are driving along and your brakes fail... what do you want to stop you...

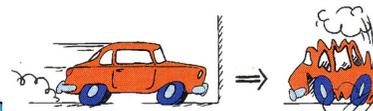


- ▶ The cement barrier stops you in almost no time, the haystack stops you over a greater amount of time.

Decreasing momentum



- ▶ Both cars have the same velocity and the same momentum...



Momentum

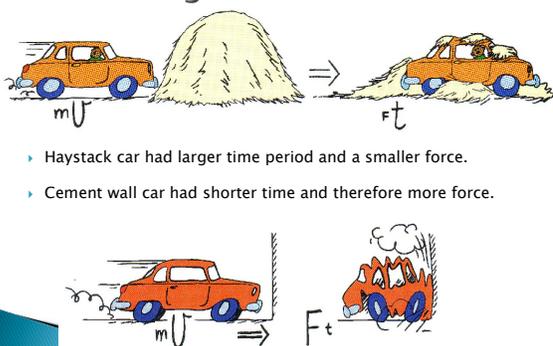
$1,000 \text{ kg} \cdot 10 \text{ m/s}$
 $10,000 \text{ kg}\cdot\text{m/s}$
 $mv = Ft$
 $100,000 \text{ N} \cdot .1 \text{ s}$
 $10,000 \text{ N}\cdot\text{s}$



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 $1,000 \text{ N} \cdot 10 \text{ s}$
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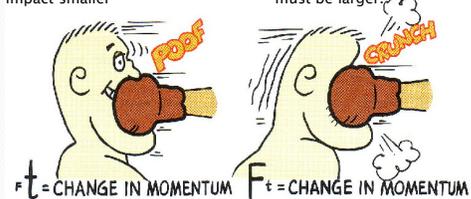
Decreasing momentum



- Haystack car had larger time period and a smaller force.
- Cement wall car had shorter time and therefore more force.

Decreasing Momentum

- Boxer moves back with the punch, making the time of impact larger and the force of impact smaller
- A boxer moving towards a punch decreases the time of impact, therefore the force must be larger.



$Ft = \text{CHANGE IN MOMENTUM}$
 Impulse = 10
 $10 = 1 \text{ sec} \times 10 \text{ N}$

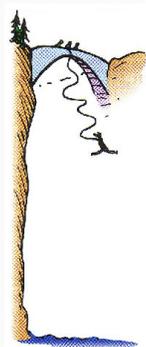
$Ft = \text{CHANGE IN MOMENTUM}$
 Impulse = 10
 $10 = .1 \text{ sec} \times 100 \text{ N}$

Impulse Demonstration

- Throwing Eggs.

Bungee Jumping

- The rubber cord stretches during the jump which extends.
- The long time helps the jumper feel only a small force.



- To break the boards or cement, the Karate Kid must strike with a lot of force for a very short time.



The End

- ▶ Impulse = Ft
- ▶ $Ft = \Delta mv$

