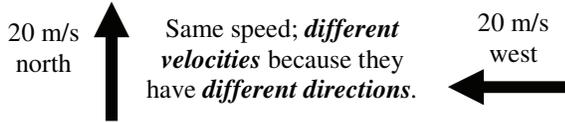


Velocity and Acceleration

Speed vs. Velocity Velocity is speed with direction.

Example: A person walks 4 m/s—speed (no direction).



Velocity changes when direction changes.

Scalars vs. Vectors Vectors require direction; Scalars only need magnitude (how big).

Remember: **Speed** is a **Scalar**; **Velocity** is a **Vector**.

Vectors require magnitude (how much) and direction, often vectors can cancel each other out (not acceleration, though).

12 m/s west Speed: 12 m/s.
Magnitude Direction Velocity: 12 m/s west.

Acceleration

Acceleration is how fast you change velocity OR how much the velocity changed in a certain amount of time.

An object accelerates when it changes speed OR changes direction!

Acceleration (in m/s²) → **a = $\frac{\Delta V}{\Delta T}$**

← Change of Velocity (in meters/sec)
 ← Change of Time (in seconds)

Acceleration equal change of velocity divided by change of time.

$\Delta V = V_{final} - V_{initial}$, SO, $a = \frac{V_{final} - V_{initial}}{\Delta T}$

Finding ΔV.

Δ always = *final* – *initial*.
 ΔV = V_{final} – V_{initial} OR
 Final velocity – Initial velocity.

If ΔV is positive the object is speeding up.

If ΔV is negative the object is slowing down (*see below*).

Ex. A plane starts at rest and ends up going 200 m/s in 10 secs. Calculate its acceleration.

Step 1: Variables
 V_i = 0 m/s (at rest)
 V_f = 200 m/s
 T = 10 sec
 a = _____

Step 2: Formula
 $a = \frac{\Delta V}{\Delta T}$

Step 3: Put in numbers and solve
 $a = \frac{\Delta V}{\Delta T} = \frac{V_f - V_i}{\Delta T} = \frac{200 - 0}{10}$
 $a = \frac{200}{10} = 20$

Step 4: Add units *Pos. means speeding up*
 $a = 20 \text{ m/s}^2$

Ex. A race car starts at 40 m/s slows to 10 m/s in 5 seconds. Calculate the car's acceleration.

Step 1: Variables
 V_i = 40 m/s
 V_f = 10 m/s
 T = 5 sec
 a = _____

Step 2: Formula
 $a = \frac{\Delta V}{\Delta T}$

Step 3: Put in numbers and solve
 $a = \frac{\Delta V}{\Delta T} = \frac{V_f - V_i}{\Delta T} = \frac{10 - 40}{5}$
 $a = \frac{-30}{5} = -6$

Step 4: Add units *Neg. means slowing down*
 $a = -6 \text{ m/s}^2$

Negative acceleration means an object is slowing down OR speeding up in the negative direction. Slowing down is also called "deceleration".

Distance and Acceleration

An object that is accelerating will travel farther each second.

Constant Speed—Equal Distance



Points are equal distance, so velocity is constant. Since the velocity is constant, the initial and final velocity are equal and the acceleration equals zero.

Positive Acceleration—Increasing Distance



The distance between the points is increasing, so velocity is increasing. The object is accelerating: traveling faster each second and covering more distance every second.

Measuring Acceleration

To measure an object's acceleration you need to measure the object's velocity before and after the acceleration.

If the object starts at rest you know that V_i = 0m/s.
If the object stops you know that V_f = 0m/s.

Measure V_i
(Initial Velocity)

$V_i = \frac{\Delta D}{\Delta T} = \frac{4 \text{ m}}{1 \text{ sec}}$
 $V_{initial} = 4 \text{ m/s}$

Measure ΔT
(Time it took to Accelerate)

→ *Accelerates for 2 seconds*
So ΔT = 2 sec

$a = \frac{V_f - V_i}{\Delta T} = \frac{8 - 4}{2}$
 $V_{initial} = \frac{4}{2} = 2 \text{ m/s}^2$

Measure V_f
(Final Velocity)

$V_f = \frac{\Delta D}{\Delta T} = \frac{8 \text{ m}}{1 \text{ sec}}$
 $V_{final} = 8 \text{ m/s}$

